



5. So find an approximation for  $F_n$  (actually the limit as  $n \rightarrow \infty$ ).

6. Then find an approximation for  $\frac{F_{n+1}}{F_n}$ .

So  $F_n$  is a geometric series (well, almost, in the limit!).

7. Check that the geometric series  $G_n = c\phi^n$  ( $n \geq 0$ ) is “Fibonacci like” in the sense that  $G_n = G_{n-1} + G_{n-2}$ .

8. Let  $\bar{\phi} = \frac{1-\sqrt{5}}{2}$ . Check that the geometric series  $\bar{G}_n = c\bar{\phi}^n$  ( $n \in \mathbb{Z}^{\geq 0}$ ,  $c \in \mathbb{R}^{\geq 0}$ ) is “Fibonacci like” in the sense that  $\bar{G}_n = \bar{G}_{n-1} + \bar{G}_{n-2}$ .